

**10.3** • A square metal plate 0.180 m on each side is pivoted about an axis through point  $O$  at its center and perpendicular to the plate (Fig. E10.3). Calculate the net torque about this axis due to the three forces shown in the figure if the magnitudes of the forces are  $F_1 = 18.0$  N,  $F_2 = 26.0$  N, and  $F_3 = 14.0$  N. The plate and all forces are in the plane of the page.

Figure E10.3

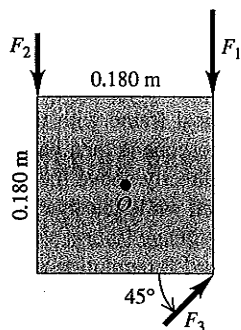
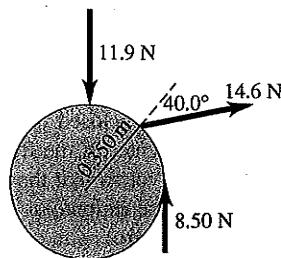


Figure E10.4



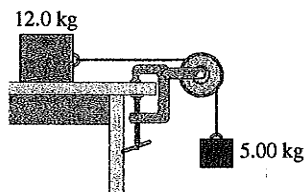
**10.4** • Three forces are applied to a wheel of radius 0.350 m, as shown in Fig. E10.4. One force is perpendicular to the rim, one is tangent to it, and the other one makes a  $40.0^\circ$  angle with the radius. What is the net torque on the wheel due to these three forces for an axis perpendicular to the wheel and passing through its center?

**10.9** • The flywheel of an engine has moment of inertia  $2.50 \text{ kg} \cdot \text{m}^2$  about its rotation axis. What constant torque is required to bring it up to an angular speed of 400 rev/min in 8.00 s, starting from rest?

**10.10** • A uniform disk with mass 40.0 kg and radius 0.200 m is pivoted at its center about a horizontal, frictionless axle that is stationary. The disk is initially at rest, and then a constant force  $F = 30.0$  N is applied tangent to the rim of the disk. (a) What is the magnitude  $v$  of the tangential velocity of a point on the rim of the disk after the disk has turned through 0.200 revolution? (b) What is the magnitude  $a$  of the resultant acceleration of a point on the rim of the disk after the disk has turned through 0.200 revolution?

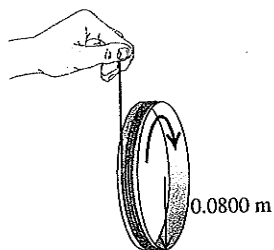
**10.17** • A 12.0-kg box resting on a horizontal, frictionless surface is attached to a 5.00-kg weight by a thin, light wire that passes over a frictionless pulley (Fig. E10.17). The pulley has the shape of a uniform solid disk of mass 2.00 kg and diameter 0.500 m. After the system is released, find (a) the tension in the wire on both sides of the pulley, (b) the acceleration of the box, and (c) the horizontal and vertical components of the force that the axle exerts on the pulley.

Figure E10.17



**10.20** • A string is wrapped several times around the rim of a small hoop with radius 8.00 cm and mass 0.180 kg. The free end of the string is held in place and the hoop is released from rest (Fig. E10.20). After the hoop has descended 75.0 cm, calculate (a) the angular speed of the rotating hoop and (b) the speed of its center.

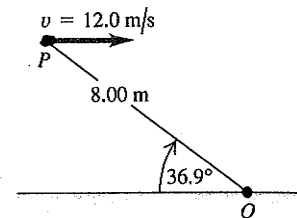
Figure E10.20



**10.36** • A woman with mass 50 kg is standing on the rim of a large disk that is rotating at 0.50 rev/s about an axis through its center. The disk has mass 110 kg and radius 4.0 m. Calculate the magnitude of the total angular momentum of the woman-disk system. (Assume that you can treat the woman as a point.)

**10.37** • A 2.00-kg rock has a horizontal velocity of magnitude 12.0 m/s when it is at point  $P$  in Fig. E10.37. (a) At this instant, what are the magnitude and direction of its angular momentum relative to point  $O$ ? (b) If the only force acting on the rock is its weight, what is the rate of change (magnitude and direction) of its angular momentum at this instant?

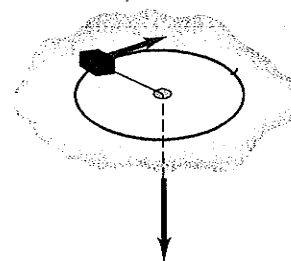
Figure E10.37



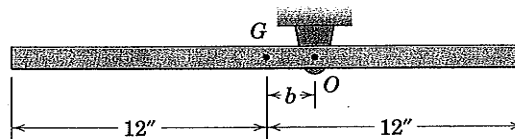
**10.41** • Under some circumstances, a star can collapse into an extremely dense object made mostly of neutrons and called a *neutron star*. The density of a neutron star is roughly  $10^{14}$  times as great as that of ordinary solid matter. Suppose we represent the star as a uniform, solid, rigid sphere, both before and after the collapse. The star's initial radius was  $7.0 \times 10^5$  km (comparable to our sun); its final radius is 16 km. If the original star rotated once in 30 days, find the angular speed of the neutron star.

**10.42** • CP A small block on a frictionless, horizontal surface has a mass of 0.0250 kg. It is attached to a massless cord passing through a hole in the surface (Fig. E10.42). The block is originally revolving at a distance of 0.300 m from the hole with an angular speed of 1.75 rad/s. The cord is then pulled from below, shortening the radius of the circle in which the block revolves to 0.150 m. Model the block as a particle. (a) Is the angular momentum of the block conserved? Why or why not? (b) What is the new angular speed? (c) Find the change in kinetic energy of the block. (d) How much work was done in pulling the cord?

Figure E10.42



**6/44** The uniform 16.1-lb slender bar is hinged about a horizontal axis through  $O$  and released from rest in the horizontal position. Determine the distance  $b$  from the mass center to  $O$  which will result in an initial angular acceleration of  $16.1 \text{ rad/sec}^2$ , and find the force  $R$  on the bar at  $O$  just after release.



**6/47** The uniform slender bar is released from rest in the horizontal position shown. Determine the value of  $x$  for which the angular acceleration is a maximum, and determine the corresponding angular acceleration  $\alpha$ .

$$\text{Ans. } x = \frac{l}{2\sqrt{3}}, \alpha = \frac{g\sqrt{3}}{l}$$

